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# Asking Less, Getting More? The Influence of Fixed-Fee and ThresholdBased Free Shipping on Online Orders and Returns 

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#### Abstract

Online retailers can recoup part of the relatively high logistics cost by instating a shipping policy which includes shipping fees on some or all of the orders. This paper compares two wide-spread shipping policies: fixed-fee shipping and threshold-based free shipping. The authors contrast both policies' influence on sales - aggregate as well as decomposed into order value and order count - and returns. Regarding the latter, they investigate whether filler purchases - purchases that make the order surpass the required threshold value for thresholdbased free shipping - explain contrasting return quotas. Insights are based on the analysis of a unique database from a major European online retailer containing 26.21 million orders of 83.79 million items from 3.81 million customers and covering a broad range of product categories. Results show that threshold-based free shipping leads to substantially higher overall sales and more orders, while fixed-fee shipping leads to less returns, even though the effect is not driven by filler purchases. Finally, a simulation shows that the positive effects (on orders) of threshold-based free shipping likely outweigh the negative effects (on product returns) under most conditions.


Keywords: online retailing; e-commerce; product returns; shipping policy; fixed-fee shipping; threshold-based free shipping


#### Abstract

Online retailers can recoup part of the relatively high logistics cost by instating a shipping policy which includes shipping fees on some or all of the orders. This paper compares two wide-spread shipping policies: fixed-fee shipping and threshold-based free shipping. The authors contrast both policies' influence on sales - aggregate as well as decomposed into order value and order count - and returns. Regarding the latter, they investigate whether filler purchases - purchases that make the order surpass the required threshold value for thresholdbased free shipping - explain contrasting return quotas. Insights are based on the analysis of a unique database from a major European online retailer containing 26.21 million orders of 83.79 million items from 3.81 million customers and covering a broad range of product categories. Results show that threshold-based free shipping leads to substantially higher overall sales and more orders, while fixed-fee shipping leads to less returns, even though the effect is not driven by filler purchases. Finally, a simulation shows that the positive effects (on orders) of threshold-based free shipping likely outweigh the negative effects (on product returns) under most conditions.


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## 1. Introduction

Online retailing has grown heavily over the last two decades. While online retailers do save on rent compared to traditional brick-and-mortar stores, they incur new logistical costs. Every shipped and returned order needs to be handled separately, threatening to make logistics costly (Bijmolt et al. 2019; Caro, Kök, and Martínez-de-Albéniz 2020). A popular way to recover (part of) this cost for retailers is to make customers pay a shipping fee. A shipping fee increases the price that customers have to pay for an order online, and usually is either a fixed fee or a fee that increases or decreases in steps. Such fixed or variable shipping fees may incentivize differing purchase and return behaviors (Lewis 2006; Shehu, Papies, and Neslin 2020). As retailers strive to maximize orders while keeping returns low (Minnema et al. 2018; Petersen and Kumar 2015) and customers are particularly reluctant to pay for shipping fees (Smith and Brynjolfsson 2001), the choice of shipping fee policy should be taken with care.

The differences between paid shipping policies are under-researched, in spite of recent managerial interest (Retail Detail 2019), and no paper so far investigates the consequential difference in returns, even though returns are crucial for profitability. In this paper, we contrast two exemplary and widely used shipping fee policies: fixed-fee shipping and threshold-based free shipping, i.e. shipping fees that are waived for bigger orders (e.g. Lewis 2006). Thus, we contribute to prior research, notably by Lewis (2006) and, more recently, by Lepthien and Clement (2019) and Sahoo, Dellarocas, and Srinivasan (2018), by comparing two different paid shipping policies with regards to both orders and returns.

In the remainder of the paper, we first reason why customers are motivated to order and return more with a threshold-based free shipping policy, and why it additionally may lead to strategic behavior, i.e., customers ordering additional goods to reach the free-shipping
threshold. Those so-called filler purchases might either be to the benefit or detriment of the retailer, depending on their return rate (Minnema et al. 2018). Next, we conduct an empirical analysis using data from a natural experiment of a large European online retailer, which recently changed its shipping policy from fixed-fee to threshold-based free shipping. Our findings show that threshold-based free shipping does influence sales and the number of orders, and substantively changes return rates. While the return rate in general is higher, filler purchases are returned less rather than more compared to regular purchases. In a post-hoc analysis, we further investigate such filler purchases and reasons why they are returned less.

## 2. Theoretical background

### 2.1. Research framework

A shipping fee is a mark-up on the price of an order to get the products delivered at home. Depending on the shipping policy, this mark-up is a fixed fee (independent of the order) or it is determined by characteristics of the order (like its value). For example, an order of a book at $€ 10$ and a jacket at $€ 100$ might both have a shipping fee of $€ 2.50$ with a fixed-fee policy, or of $€ 5$ and $€ 0$, respectively, with a threshold-based free shipping policy, a policy whereby shipping cost is waived when the order value surpasses a certain threshold (e.g., €20 in this case). In addition, as the order size varies, the relative price increase per product varies, too. In the example above, a shipping fee of $€ 2.50$ for a $€ 10$ book means a price increase of $25 \%$ whereas a shipping fee of $€ 2.5$ for a $€ 100$ jacket only means a price increase of $2.5 \%$ (Hess, Chu, and Gerstner 1996). This sort of price is a so-called partitioned price, with a fixed partition (the original product price) and a variable partition (the price increase
due to shipping cost). Customers are very sensitive to variable price partitions, especially in the case of shipping fees (Hamilton and Srivastava 2008; Smith and Brynjolfsson 2001).

In our research, we will focus on the difference between fixed fee shipping and a threshold-based free shipping. The defining difference is that with threshold-based free shipping, the shipping fee is waived for large orders. This difference, however, leads to different incentives with regards to overall order amount (i.e., sales), order frequency, the value of each order, and the return probability. As the research framework in Figure 1 shows, we expect a range of effects based on that difference, which we will explain in detail in the next sections.


Fig.1. Research Framework: Expected effects of shipping policy

### 2.2. Embedding into prior research

Our paper positions itself in a stream of empirical work, which compares the effects of different elements of shipping policies. Most research focuses on the effect of shipping fees on orders (e.g. Lewis 2006; Lewis, Singh, and Fay 2006) but recently, three papers have integrated product returns into the analysis (Lepthien and Clement 2019; Sahoo, Dellarocas,
and Srinivasan 2018; Shehu, Papies, and Neslin 2020). Table 1 provides an overview of the main findings of prior work. Previous research focused either on free shipping and its difference to other shipping policies or on parameters within one shipping policy. Little is known concerning the differences between two paid shipping policies. Therefore, this paper contributes to the stream of literature as it is the first to contrast the consequences of a threshold-based free-shipping policy with those of a fixed-fee shipping policy on multiple outcome variables. This wide array of dependent variables allows us to not only predict atomic effects concerning one outcome but also to realistically compare two shipping policies in their overall effect.

Table 1
Prior research regarding shipping fees

| Paper | DV | IV Rel | Relationship |
| :---: | :---: | :---: | :---: |
|  | order-related dependent variables |  |  |
| Lewis (2006) | Order frequency | Shipping fee | - |
| Lewis, Singh, and Fay (2006) | Order frequency | Free shipping (vs. threshold-based free shipping) | ee + |
| Lepthien and Clement (2019) | Order frequency | Free shipping threshold | - |
| Shehu, Papies, and Neslin (2020) | Order frequency | Free shipping (vs. fixed-fee shipping) | ) + |
| Lewis (2006) | Order value (before returns) | Penalizing larger orders | - |
| Lewis (2006) | Order value (before returns) | Penalizing smaller orders | + |
| Lewis, Singh, and Fay (2006) | Order value (before returns) | Free shipping (vs. threshold-based free shipping) | ee |
| Lepthien and Clement (2019) | Order value (before returns) | Shipping fee | + |
| Lepthien and Clement (2019) | Order value (after returns) | Shipping fee | + |
| Shehu, Papies, and Neslin (2020) | Ordering of riskier products | Free shipping (vs. fixed-fee shipping) | ) + |
|  | return-related dependent variables |  |  |
| Shehu, Papies, and Neslin (2020) | Return probability | Free shipping (vs. fixed-fee shipping) | ) + |
| Sahoo, Dellarocas, and Srinivasan (2018) | Return probability | Order value < $\$ 5$ above free shipping threshold | - |
| Lepthien and Clement (2019) | Return probability of "strategic returns" | Free shipping threshold | + |

### 2.2.1. Effects on product orders

Prior research shows that customers adapt how they order as a response to different shipping fees incentives (Table 1). Higher shipping fees correlate with reduced ordering, while fees penalizing a certain order size lead to a different order size (Lewis 2006). Comparing concrete policies, free shipping leads to smaller and more frequent orders than threshold-based free shipping (Lewis, Singh, and Fay 2006) and, in line with that, also more frequent orders than fixed-fee shipping (Shehu, Papies, and Neslin 2020). For thresholdbased free shipping, a higher threshold leads to less orders (Lepthien and Clement 2019). In addition to all aforementioned aggregate effects, shipping policies may also change what customers order: Shehu, Papies, and Neslin (2020) find that customers tend to purchase more products that are difficult to evaluate online with free shipping.

### 2.2.2. Effects on product returns

Prior research also shows that customers adapt how they return products as a response to different shipping fees incentives - although insights are more limited. Free shipping leads to more returns than fixed-fee shipping (Shehu, Papies, and Neslin 2020). Threshold-based free shipping has been argued to lead to more returns due to strategic order and returnbehavior (Lepthien and Clement 2019). Conflicting with that proposition is that thresholdbased free shipping has been shown to lead to less returns for orders just above the free shipping threshold (Sahoo, Dellarocas, and Srinivasan 2018).

### 2.3. Hypotheses

### 2.3.1. The influence of shipping fees on orders

There are two reasons, why we expect that fixed-fee shipping leads to lower sales than threshold-based free shipping. First, with a fixed-fee shipping, the customer has to pay the shipping fee for every order, regardless of order value, whereas with a threshold-based free shipping, the shipping fee is waived for large orders. In other words, shipping is potentially free and on average cheaper with threshold-based free shipping than with fixedfee shipping. In general, higher cost leads to less demand, since price elasticity is usually negative (Bijmolt, Van Heerde, and Pieters 2005). In particular, shipping fees have been found to be even more influential than regular price (Lewis 2006; Smith and Brynjolfsson 2001). Thus, we expect that fixed-fee shipping leads to less sales overall than threshold-based free shipping due to higher average costs for the customers.

Second, with fixed-fee shipping, the more individual orders customers make, the more shipping fees they have to pay. This incentivizes customers to distribute the same product purchases among fewer orders, as this allows them to economize on shipping fees. A practical way to do so is, to accumulate planned purchases by postponing them (which customers are willing to do to save money, see e.g. Greenleaf and Lehmann 1995). We therefore expect customers to postpone purchases with fixed-fee shipping. Postponement of purchases, in turn, can lead to abandonment of purchases, e.g., because preferences change (Stigler and Becker 1977) or because the purchase was made somewhere else in the meantime. Abandoned purchases, in turn, have a detrimental effect on sales. The situation is different for threshold-based free shipping: here, more orders do not generally equal more shipping fees and customers have no incentive to postpone purchases beyond reaching the free shipping threshold. Thus, we expect less abandoned purchases resulting in a less
detrimental effect on sales. Therefore, when comparing both policies, we expect fixed-fee shipping to lead to less sales than threshold-based free shipping. In sum, both arguments lead to the following hypothesis:

H1: Threshold-based free shipping leads to higher sales compared to fixed-fee shipping.

Fixed-fee shipping may incentivize customers to delay purchases in order to distribute them among (a) fewer and (b) larger orders and, thereby, reduce the total of due shipping fees. For threshold-based free shipping, on the other hand, this is true only to a limited extent. Once the order size is above the free shipping threshold, postponing and combining orders does not further reduce total shipping costs. Therefore, threshold-based free shipping only provides a constrained incentive for combining smaller into larger orders - until the free shipping threshold is reach - whereas fixed-fee shipping provides an unconstrained incentive for combining smaller into larger orders - because the higher the purchase value, the lower the relative weight of the shipping fee. This results in the following two hypotheses:

H2: Threshold-based free shipping leads to more orders compared to fixed-fee shipping. H3: Threshold-based free shipping leads to a lower average order value compared to fixedfee shipping.

### 2.3.2. The influence of shipping fees on returns

Fixed-fee shipping results in every order having to pay a shipping fee whereas threshold-based free shipping results in many orders not having to pay a shipping fee. Having to pay a non-refundable fee more often will lead to less returns for two reasons. The first reason is similar irrational behavior as in comparable situations with sunk cost. When customers decide to return their order, they have to write off the money spent on shipping fees. Instead, they have a tendency to continue on their path, once an investment has been
made, even if it results in financially detrimental outcomes (Carter, Kaufmann, and Michel 2007; Domeier, Sachse, and Schäfer 2018). We expect customers to consider shipping fees as money wasted when returning and therefore expect them to return less with fixed-fee shipping, where shipping is always paid, than with threshold-based free shipping, where shipping is regularly free. The second reason for expecting less returns due to a nonrefundable shipping fee is economic customer behavior due to costly re-ordering. Customers might decide to return a product, if a product does not fully align with their preferences, and re-order another one. However, the benefit of returning and re-ordering has to outweigh the cost (Anderson, Hansen, and Simester 2009; Petersen and Kumar 2015), which is increased by having to pay shipping fees. Therefore, if the ordered new product has only a slight advantage over the returned old product, having to pay additional shipping fees might render the exchange unattractive. Since fixed-fee shipping always results in shipping fees and threshold-based free shipping does not, fixed-fee shipping more often renders returning unattractive in such cases. In sum, based on both explanations, we expect that:

H4: Threshold-based free shipping leads to more returns compared to fixed-fee shipping.

Shipping fees might also influence what customers return. Threshold-based free shipping is free when ordering above the threshold. Hence, as long as the order size is below the threshold, customers have to compromise between paying the shipping fee or paying more for the order itself - by ordering more. When the customer chooses the latter option and orders an additional product in order to surpass the free-shipping fee threshold, we call this purchase a "filler" purchase. Thus, we define a filler purchase as a purchase that was added to the shopping basket at the end of the shopping trip, with the order value without it being below the free shipping threshold and with it being above the free shipping threshold. From a theoretical point of view, such filler purchases could be returned both less often than
"regular", i.e., non-filler purchases - or more often, and we formulate opposing hypotheses about the effect.

On the one hand, customers have the possibility of economizing their purchase behavior by adding a product to their order, which they can anticipate to purchase anyway in the future, such as regularly purchased goods (e.g., beauty or sanitary products). Customers can perceive such additional purchase as a smart bargain, because they spend their money on a product instead of on shipping costs. Customers are prone to bargain hunting, which is the biggest source of enjoyment in brick-and-mortar retail shopping (Cox, Cox, and Anderson 2005), especially when they perceive their own action as responsible for the lowered price (Schindler 1989). If customers add regularly purchased goods to their order, returns of these purchases are likely lower, since familiar purchases are returned less than unfamiliar purchases (Petersen and Kumar 2009).

H5a: Threshold-based free shipping leads to less returns of filler purchases compared to regular purchases.

There are also reasons for which filler purchases might be returned more often. First, customers might intentionally plan to order and return a filler purchase and only order the filler purchase to save shipping cost with a higher order value. Previous research shows that customers are known to strategically abuse retailer policies for their personal gain (Wachter et al. 2012) and this case provides a tangible gain without any risk. Customers could extend their order by any random product, provided it lets the order surpass the free shipping threshold, and thereby save out the shipping fee. A second, unrelated, explanation for higher returns of filler purchases is that customer might decide spontaneously to order more when confronted with the threshold-based free shipping. In this case, however, the resulting filler purchases are unplanned purchases, which, being more likely to be regretted post-purchase
(Saleh 2012) and therefore, have a higher return probability. In sum, we therefore hypothesize that:

H5b: Threshold-based free shipping leads to more returns of filler purchases compared to regular purchases.

## 3. Data

For this study, we have access to a unique dataset from a major European online retailer. The dataset contains 26.21 million orders of 83.79 million items from 3.81 million customers in a three years period (from July, 2017 to June, 2019). The assortment of the retailer is broad and consists of, among others, fashion, furniture, electronics, and toys. Fashion has the largest share, reflecting its popularity in e-commerce overall (Eurostat 2018), but other product categories are far from insignificant in terms of economic value. Fig. 2 shows the distribution of orders among the retailer's product categories.


Fig. 2. Distribution of Purchased Products among Categories

In November, 2017, the retailer changed its shipping policy from fixed-fee shipping with fees depending on the product category (e.g., $€ 0$ for laptops and printers, $€ 1.95$ for

DVDs and software, and $€ 5.95$ for fashion and small domestic appliances, among others) to threshold-based free shipping with a unified $€ 2.95$ shipping fee and a free-shipping threshold of $€ 20$, This provides a valuable natural experiment for the effects of the shipping policy change. The retailer continued to charge no additional cost for shipping of product returns.

### 3.1. Datasets and variables

For our analyses, we use two datasets. Table 2 presents an overview of the datasets and variables used in our empirical study. The first dataset is at the daily level and contains variables related to the online retailer's sales. Here, we focus on three dependent variables: sales, order count, and order value, all on a daily level. The focal independent variable for these analyses at the daily level is an indicator variable for threshold-based free shipping that allows us to compare the effect of threshold-based free shipping with fixed-fee shipping. Besides, we include a range of control variables for weekday, month, and year. Since the firm unified shipping fees across categories when introducing threshold-based free shipping resulting in an increased fee for some orders and a decreased fee for others - we group orders according to the direction of shipping fee change. As a result, we have two time-series, one for each group of orders.

Table 2
Dependent and independent variables used in the analysis

| Variable | Definition | Summary |
| :---: | :---: | :---: |
| Dataset: Day level ( $\mathrm{n}=\mathbf{2 , 1 8 8}$ ) |  |  |
| ${\text { sales }{ }_{\text {,g }}{ }^{3}}^{\text {a }}$ | Sales at day t (for orders in group g) | $\begin{array}{ll} \mathrm{g}=\text { shipping fee up } & \mathrm{g}=\text { shipping fee down } \\ \text { avg: } 2,946,583 & \text { avg: } 243,511 \\ \text { (sd: } 1,000,423 \text { ) } & \text { (sd: } 103,020 \text { ) } \end{array}$ |
| order count ${ }_{\text {t,g }}{ }^{3}$ | Count of orders at day t (for orders in group g) | avg: $21,603.28$ avg: $2,323.93$ <br> (sd: $7,270.24)$ (sd: $1,039.89$ ) <br> (sd: 7,270.24) <br> (sd: 1,039.89) |
| order value ${ }_{\text {t,g }}$ | Average order value at day t (for orders in group g) | avg: 137.16 avg: 106.92 <br> (sd: 13.75) (sd: 20.810) |
| shipping policy ${ }_{\text {t }}$ | Whether threshold-based free shipping is valid at day t (1), or not (0) | 0: $11.32 \%, 1$ : $88.68 \%$ |
| day $_{\text {day }, t}$, month $_{\text {month }, \text {, }}$, and year ${ }_{\text {year,t }}$ | Whether (1) or not (0) day t is Monday, Tuesday, etc. / in February, March, etc. / in 2017, 2018, or 2019 | see Fig. 3. |
| Dataset: Product-purchase level ( $\mathrm{n}=8 \mathbf{8 3 , 7 0 4 , 0 8 6 \text { ) }}$ |  |  |
| returned $_{p}$ shipping policy ${ }_{p}$ | Whether product p is returned (1), or not (0) <br> Whether the product $p$ was ordered on the threshold-based free shipping policy (1) or on a fixedfee shipping policy (0) | $\begin{aligned} & 0: 55.23 \%, 1: 44.77 \% \\ & 0: 8.52 \%, 1: 91.48 \% \end{aligned}$ |
| regular ${ }_{\text {/ }} /$ filler $_{p}$ | Whether product p is added to the order after all other products and lifts the shopping basket from below the free-shipping threshold to above it $\left(\right.$ filler $\left.{ }_{p}=1\right)$, or not $\left(\right.$ regular $\left._{p}=1\right)$ | $\begin{aligned} & \text { regular }_{\mathrm{p}}: 97.51 \% \text {, } \\ & \text { filler }_{\mathrm{p}}: 2.49 \% \end{aligned}$ |
| fee_up ${ }_{\text {p }} /$ fee_down ${ }_{\text {p }}$ | Whether product p's category shipping fee increased $\left(f e e \_u_{p}=1\right)$ or decreased with the shipping policy change $\left(\right.$ fee_down ${ }_{p}=1$ ) | fee_up ${ }_{p}$ : $7.05 \%$, fee_down : $92.95 \%$ |
| price ${ }_{p}{ }^{1}$ | Product price of product p | avg: $42.81 €$ (sd: 69.25€) |
| category ${ }_{p}$ | The category of product $p$ | see Fig. 2 |
| discounted ${ }_{\text {p }}$ | Whether product p has a discounted price when purchased (1), or not (0) | 0: $53.61 \%, 1: 46.39 \%$ |
| basket size ${ }^{2}$ | Count of products ordered together with product $p$ | avg: 7.06 (sd: 7.00) |
| last in basket ${ }_{\text {p }}$ | Whether product p is added to the order after all other products (1), or not (0) | 0: $68.71 \%, 1: 31.29 \%$ |
| day $_{\text {day }, \mathrm{p}}$, month $_{\text {month, } \mathrm{p}}$, and year year, | Whether (1) or not (0) product p is purchased on Monday, Tuesday, etc. / in February, March, etc. / in 2017, 2018, or 2019 | see Fig. 3 |
| age $_{\mathrm{p}}^{1}$ | Age of the customer of product p | avg: 42.91 (sd: 11.28) |
| gender ${ }_{\text {male, } p_{1}}^{1}$ | Whether gender of the customer of product p is female (0) or male (1) | 0: 83.18\%, 1: $16.82 \%$ |
| crel_years ${ }_{\text {p }}{ }^{1}$ | Length of patronage of the customer of product p in years | avg: 10.22 (sd: 8.84) |

For estimation, variables are: ${ }^{1}$ mean-centered, ${ }^{2}$ subtracted by one, ${ }^{3}$ on the (natural) logarithmic scale

The second dataset is at the product-purchase level and contains variables related to the product returns. The dependent variable "returned" indicates whether or not an individual purchase was returned. Analyzing returns at the product-purchase level allows us to provide insights both at the product level - the impact of purchase type (whether or not the product is a filler purchase) and shipping fee change - and at the order level - whether or not the order was placed with a fixed-fee or threshold-based free-shipping policy. We also control for other aspects at the product level - price and product category - , at the order level - discounts, order size, and whether or not the product was the last in the order, as well as day, month, and year of the order - and at the customer-level - age, gender, and the length of the customer relationship.

### 3.2. Model-free insights



Fig. 3. Daily sales, order counts, order values, and return percentages

Over-time plots of daily order and return variables (Fig. 3) indicate seasonal variation plus an additional shift in value at the time when the shipping policy is changed. In line with our hypotheses, threshold-based free shipping seems to increase daily sales, the number of orders, and decrease order value in comparison with fixed-fee shipping. Specifically, the mean daily value of all sales is $€ 2.57 \mathrm{~m}$ for fixed-fee shipping and $€ 3.27 \mathrm{~m}$ for threshold-based free shipping $(+€ .70 \mathrm{~m})$; the daily number of all orders is 17,313 for fixed-fee shipping and 24,786 for threshold-based free shipping $(+7,473)$; the average order size of all orders is $€ 148.12$ for fixed-fee shipping and $€ 132.22$ for threshold-based free shipping ( $-€ 15.9$ ); and the daily percentage of returned products is $43 \%$ with fixed-fee shipping and $45 \%$ with threshold-based free shipping. Hence, in general, the model-free evidence tends to support our hypotheses, but it does not control for other explanatory factors, so we continue with more detailed analyses of the data.

## 4. Methodology

We employ two sets of models: the first to analyze daily-level sales outcomes, i.e., sales value, order count, and order value, and the second, to analyze product-purchase level product returns.

### 4.1. Analyzing sales, order count, and order value

For sales, order count, and order value, we use data at a daily level. This allows us to identify the effect of the introduction of threshold-based free shipping while controlling for seasonal effects. We analyze the daily data using cross-sectional time-series regression models (StataCorp 2020). We account for changing shipping fees by fixed-effects and
estimating the effect of threshold-based free shipping separately for the group of orders with increasing and decreasing shipping fees. Besides, we control for day of week, month, and year. In addition, we allow for autocorrelation in the error term. We estimate the same model (denoted model I, see below) for all time-dependent outcome variables: daily sales, order count, and order value:

$$
\begin{align*}
& y_{g, t}=\alpha+\beta_{1, g} s p_{g, t}+\sum_{i=2}^{21} \beta_{i} x_{i, t}+v_{g}+\varepsilon_{g, t} \\
& \text { with } \varepsilon_{g, t}=\rho \varepsilon_{g, t-1}+\eta_{g, t}, g \in\{u p, \text { down\}, } t \in\{0,1, \ldots, 1094\},  \tag{1}\\
& \text { for } y_{g, t} \in\{\text { logged sales, logged order count, order value }\}
\end{align*}
$$

where $t$ is the day, $g$ is the group of orders (with "up" consisting of orders with increasing and "down" consisting of orders with decreasing shipping fees), $s p_{g, t}$ is an indicator variable for shipping policy at day $t$ of group $g$ (with threshold-based free shipping $=1$, fixed-fee shipping $=0$ ), $x_{i, t}$ with $i=\{2,3, \ldots, 21\}$ are the control variables for year, month, and weekday, $v_{g}$ is the group fixed effect, and $\varepsilon_{g, t}$ is the error term. We apply a $\log$ transformation to the dependent variables to deal with the long right-hand tail and make the distribution more symmetric and Normal.

### 4.2. Analyzing returns

### 4.2.1. Base model

For product returns, we use data at the product-purchase level. This allows us to control for the effect of purchase type (i.e., filler and regular purchases) and other purchase-, product- and customer-level variables. To assess our hypothesized effects on the binary dependent variable product return, we use three binomial logit regression models. First, we start by estimating the influence of shipping policy on product returns in general, and
compare returns with threshold-based free shipping to returns with fixed-fee shipping. We control for whether the product belongs to the group with increasing or decreasing shipping fees and include the interaction of this factor with threshold-based-free shipping indicator. Additionally, we control for a range of additional purchase-level variables. This is our base model for product returns.

$$
\begin{align*}
\text { logit } \left._{\left(\text {returned }_{p}\right)}\right) & =\alpha_{u p} f e e \_u p_{p}+\alpha_{\text {down }} f e e_{\text {_down }}^{p} \\
& +\beta_{1, u p} s p_{p} \times \text { fee_up }_{p}+\beta_{1, \text { down }} s p_{p} \times \text { fee_down }_{p}  \tag{2}\\
& +\sum_{i=2}^{44} \beta_{i} x_{i, p}+\varepsilon_{p}
\end{align*}
$$

where $p$ is the product purchase, $s p_{p}$ indicates shipping policy as before, $f e e_{-} u p_{p}$ and fee_down $n_{p}$ denote whether the shipping fee increased or decreased, $x_{i, p}$ are the control variables for year, month, weekday, and product category, and $\varepsilon_{p}$ is the error term.

### 4.2.2. Return probability for filler versus regular purchases

Second, we extend our base model by indicators for the type of product purchase, i.e., whether it is a regular or a filler purchase. In the resulting model, we compare the baseline return probabilities (under fixed-fee shipping) with the return probabilities of filler and regular purchases under threshold-based free shipping. The extended model is:

$$
\begin{align*}
& \operatorname{logit}\left(\text { returned }_{p}\right)=\alpha_{u p} f e e_{\_} u p_{p} \\
& +\alpha_{\text {down }} f \text { fee_down } n_{p} \\
& +\beta_{1, u p} s p_{p} \times \text { fee_up }_{p} \times \text { filler }_{p} \\
& +\beta_{2, u p} s p_{p} \times f e e \_u p_{p} \times \text { regular }_{p}  \tag{3}\\
& +\beta_{1, \text { down }} s p_{p} \times \text { fee_down }_{p} \times \text { filler }_{p} \\
& +\beta_{2, \text { down }} s p_{p} \times \text { fee_down }_{p} \times \text { regular }_{p} \\
& +\sum_{i=3}^{45} \beta_{i} x_{i, p}+\varepsilon_{p}
\end{align*}
$$

where the variables are defined similarly to before and we include an additional indicator for whether product $p$ is a filler purchase or regular purchase (denoted by filler $_{p}$ and regular $_{p}$ ).

Third, as a control for the findings of the second model, we estimate the effect of threshold-based free shipping as well as fixed-fee shipping on returns of both purchase types. In particular, we proceed by splitting coefficients $\alpha_{u p}$ and $\alpha_{\text {down }}$ of model (3) into two coefficients each ( $\alpha_{1, \text { up }}, \alpha_{2, \text { up }}$ and $\left.\alpha_{1, \text { down }}, \alpha_{2, \text { down }}\right)$ - for distinguishing filler from regular purchases with fixed-fee shipping. By doing so, we obtain

$$
\begin{align*}
& \operatorname{logit}\left(\text { returned }_{p}\right)=\alpha_{1, u p}\left(1-s p_{p}\right) \times \text { fee_up }_{p} \times \text { filler }_{p} \\
& +\alpha_{2, u p}\left(1-s p_{p}\right) \times \text { fee_up }_{p} \times \text { regular }_{p} \\
& +\alpha_{1, \text { down }}\left(1-s p_{p}\right) \times \text { fee_down }_{p} \times \text { filler }_{p} \\
& +\alpha_{2, \text { down }}\left(1-s p_{p}\right) \times \text { fee_down }_{p} \times \text { regular }_{p}  \tag{4}\\
& +\beta_{1, u p} s p_{p} \times \text { fee_up }_{p} \times \text { filler }_{p} \# \\
& +\beta_{2, u p} s p_{p} \times \text { fee_up }_{p} \times \text { regular }{ }_{p} \\
& +\beta_{1, \text { down }} s p_{p} \times \text { fee_down }_{p} \times \text { filler }_{p} \\
& +\beta_{2, \text { down }} s p_{p} \times \text { fee_down }_{p} \times \text { regular }_{p} \\
& +\sum_{i=3}^{45} \beta_{i} x_{i, p}+\varepsilon_{p}
\end{align*}
$$

where $\left(1-s p_{p}\right)$ is the reverse of indicator variable $s p_{p}$ (i.e., having fixed-fee shipping $=1$ and threshold-based free shipping $=0$ ).

Model (4) has as a full factorial design for shipping policy (threshold-based free shipping versus fixed-fee shipping) and purchase type (filler purchase versus regular purchases). The further distinction between purchase types allows us to contrast "real" filler purchases (i.e., goods that comply with the filler purchase definition and are purchased with threshold-based free shipping) with purchases that are fully alike filler purchases without being actual filler purchases (i.e., goods that comply with the filler purchase definition but are purchased with fixed-fee shipping).

## 5. Results

### 5.1. Effect of shipping fee on sales, order frequency, and order value

First, we find that threshold-based free shipping significantly increases daily sales, considering the group of orders where the shipping fees decreased (model 1a in Table 3). The increase is large with an effect size of .373 in logged sales ( p < .001) or, by exponentiating the coefficient, $45.21 \%$ in non-logged sales. The effect of threshold-based free shipping is not significant for the group of orders where the shipping fee increased. The difference in effect between both groups suggests that an increase in shipping fee alone would have a negative effect on sales which is countered by threshold-based free shipping. In sum, we have partial evidence in support of H 1 , which stated that threshold-based free shipping would lead to more sales compared to fixed-fee shipping.

Second, we find that threshold-based free shipping significantly increases the daily number of orders (model 1 b in Table 3) for the group of orders where shipping fees decreased. The increase amounts to .361 in the logged order count ( p < .001 ) or, by exponentiating, $43.58 \%$ in the non-logged order count. We do not find a significant effect within the group of orders where shipping fees increased. As before, this is an indication for a negative effect of increased shipping fees on the number of orders, which is parried by threshold-based free shipping. In sum, there is partial evidence in support of H 2 , which stated that threshold-based free shipping would lead to more orders compared to fixed-fee shipping.

Third, we find no evidence for a significant effect of threshold-based free shipping on the daily average order value (model 1c in Table 3), though both groups of orders have a consistent negative effect direction. Consequently, we cannot confirm H3, which stated that threshold-based free shipping would lead to smaller orders compared to fixed-fee shipping.

## Table 3

Influence of threshold-based free shipping on sales, order count, and order value

|  | Dependent variable: |  |  |
| :---: | :---: | :---: | :---: |
|  | $\log$ of sales <br> (1a) | $\log$ of order count <br> (1b) | order value (1c) |
| Constant | 13.613*** (.019) | 8.643*** (.019) | 142.397*** (.950) |
| threshold-based free shipping ${ }_{\text {shipping }}$ fee up | -. 057 (.089) | -. 020 (.089) | -3.298 (4.530) |
| threshold-based free shipping ${ }_{\text {shipping }}$ fee down | .373*** (.089) | . 361 *** (.089) | -2.665 (4.530) |
| year_2017 | -. 040 (.067) | . 051 (.067) | -9.865** (3.409) |
| year_2018 | -.201** (.069) | . 008 (.068) | -22.789*** (3.489) |
| year_2019 | -.166* (.080) | . 118 (.079) | -31.030*** (4.060) |
| month_feb | -. 039 (.053) | -. 037 (.054) | . 244 (2.725) |
| month_mar | -. 031 (.058) | -. 084 (.058) | 7.350* (2.950) |
| month_apr | . 026 (.059) | . 007 (.059) | 3.926 (3.011) |
| month_may | . 039 (.059) | . 057 (.059) | -. 130 (3.007) |
| month_jun | -. 027 (.060) | . 025 (.060) | -3.865 (3.051) |
| month_jul | . 043 (.063) | .112. (.063) | -7.414* (3.210) |
| month_aug | -. 014 (.063) | . 054 (.063) | -7.001* (3.202) |
| month_sep | . 104 (.063) | .151* (.063) | -2.622 (3.221) |
| month_oct | . 066 (.063) | .114. (.062) | -3.039 (3.181) |
| month_nov | .127* (.063) | .219*** (.063) | -8.701** (3.202) |
| month_dec | .134* (.059) | .243*** (.059) | -11.275*** (3.003) |
| day_tue | -.027* (.011) | -.030* (.012) | . 007 (.579) |
| day_wed | . 022 (.014) | . 020 (.015) | -. 041 (.738) |
| day_thu | . 011 (.016) | -. 004 (.016) | 1.588* (.801) |
| day_fri | $-.039 *(.016)$ | $-.070 * * *(.016)$ | $3.365 * * *(.802)$ |
| day_sat | $-.512 * * *(.014)$ | $-.504 * * *(.015)$ | -. 554 (.737) |
| day_sun | $-.111^{* * *}(.011)$ | $-.127 * * *(.012)$ | $3.029 * * *$ (.579) |
| $\rho$ (autocorrelation) | . 729 | . 717 | . 726 |
| $\sigma u$ (between-group std.-dev.) | 1.512 | 1.357 | 20.99 |
| бe (within-group std.-dev.) | . 190 | . 194 | 9.715 |
| $\mathrm{R}^{2}$ (within-group explained variance) | . 561 | . 517 | . 121 |
| $\mathrm{R}^{\mathbf{2}}$ (overall explained variance) | . 584 | . 549 | . 227 |
| Observations | 2,188 | 2,188 | 2,188 |
| F Statistic ( $\mathrm{df}=22 ; 2164$ ) | 125.5 *** | 105.5*** | 13.53*** |

*** $\mathrm{p}<.001$, ** $\mathrm{p}<.01$, * $\mathrm{p}<.05$, standard errors in parentheses

Regarding control variables in the three models $1 \mathrm{a}-1 \mathrm{c}$, we find significant effects of various year, month and day control variables. First, sales decrease in 2018 and 2019. This effect seems to be driven by a substantial and steady decrease in order value over time instead of order count over time, as year has no significant effect on the logged order count. Second, we find evidence for monthly variation in all models: Sales and the number of orders show an increase especially in the last two months of the year, while the value of an order is lowest during this period. Third, regarding days of the week, sales and the number of orders
are lowest in the weekend and highest in the middle of the week, and the order value is highest on Fridays. All models show high temporal autocorrelation (above .7). Finally, the explained variance for each model is highly significant, though the model fit is considerably higher for sales and order count than for order value.

### 5.2. Influence of shipping fee on product returns

### 5.2.1. Return probability across all products

Regarding the product-purchase level dataset, we find that threshold-based free shipping significantly increases the return probability (model 2 in Table 4). This holds both for products where shipping fees increased and for products where shipping fees decreased, although the strength of the effect varies (.014, p = .034, for increasing shipping fees, and $.091, \mathrm{p}<.001$, for decreasing shipping fees). Transforming the $\log$ odds into probabilities ${ }^{1}$, we get that expected product returns increase from $30.07 \%$ to $30.36 \%$ with threshold-based free shipping and increased product shipping fees, and from $52.30 \%$ to $54.56 \%$ with threshold-based free shipping and decreased product shipping fees. This is empirical support in favor of H4, which stated that threshold-based free shipping would lead to more returns compared to fixed-fee shipping.

[^1]
## Table 4

Influence of threshold-based free shipping and type of purchase (filler versus regular) on return probability

|  | Dependent variable: |  |
| :---: | :---: | :---: |
|  | Returned <br> (2) | Returned <br> (3) |
| Constant $_{\text {shipping fee up }}$ | -.844*** (.006) | $-.857 * * *(.006)$ |
| Constant ${ }_{\text {shipping fee down }}$ | .092*** (.002) | .087*** (.002) |
| threshold-based free shipping shipping fee up | .014* (.006) |  |
| filler purchase $\times$ threshold-based free shipping shipping fee up |  | -.131*** (.011) |
| regular purchase $\times$ threshold-based free shipping shipping fee up |  | .018** (.006) |
| threshold-based free shipping shipping $^{\text {fee down }}$ | .091*** (.002) |  |
| filler purchase $\times$ threshold-based free shipping ${ }_{\text {shipping fee down }}$ |  | $-.363 * * *(.003)$ |
| regular purchase $\times$ threshold-based free shipping ${ }_{\text {shipping fee down }}$ |  | .098*** (.002) |
| Price | .003*** (.000) | .003*** (.000) |
| Discounted | $-.040 * * *(.001)$ | $-.039 * * *(.001)$ |
| basket size | .052*** (.000) | .051*** (.000) |
| last in basket | $-.322 * * *(.001)$ | $-.294 * * *(.001)$ |
| Age | $-.004 * * *(.000)$ | $-.004 * * *(.000)$ |
| gender_male | $-.253 * * *(.001)$ | -.253*** (.001) |
| years of customer patronage | .011*** (.000) | .011*** (.000) |
| year_2017 | .028*** (.001) | .029*** (.001) |
| year_2018 | .054*** (.001) | .055*** (.001) |
| year_2019 | .096*** (.001) | .098*** (.001) |
| month_Feb | . 029 *** (.001) | .029*** (.001) |
| ... |  |  |
| month_Dec | .028*** (.001) | .027*** (.001) |
| day_Tue | .002* (.001) | .002* (.001) |
| , |  |  |
| day_Sun | $-.005^{* * *}(.001)$ | $-.005^{* * *}(.001)$ |
| cat_Accessoires | $-1.145 * * *(.001)$ | -1.141*** (.001) |
| $\cdots$ |  |  |
| cat_Toys | -2.811*** (.004) | -2.799*** (.004) |
| Observations | 83704086 | 83704086 |
| Log-likelihood | -49282562.71 | -49254263.10 |
| BIC | 98565982.84 | 98509420.10 |

### 5.2.2. Return probability of filler and regular purchases under the threshold-based policy

Next, we estimate the effect on threshold-based free shipping on the returns of filler purchases and regular purchases (model 3 in Table 4). Here, we find a significant effect of threshold-based free-shipping policy for filler and regular purchases, but in opposite directions. Filler purchases are returned significantly less with threshold-based free shipping
whereas regular purchases are returned more. Again, the strength of the effect depends on whether the product belongs to the group with increasing or decreasing shipping fees. For filler purchases, returns decrease by -.131 (from $29.80 \%$ to $27.13 \%, \mathrm{p}<.001$ ) in the former case and by -.363 (from $52.17 \%$ to $43.14 \%, \mathrm{p}<.001$ ) in the latter case. For regular purchases, returns increase by .018 (from $29.80 \%$ to $30.17 \%, \mathrm{p}=.005$ ) and by .098 (from $52.17 \%$ to $54.61 \%, \mathrm{p}<.001$ ), respectively. These findings are supportive empirical evidence for H 5 a (against H5b), which stated that, with threshold-based free shipping, filler purchases would be returned less (more) than regular purchases.

### 5.2.2. A priori return probability of filler and regular purchases

Finally, we extend the previous model 3 by also distinguishing between products that fall under the definition of regular and filler purchases within a fixed-fee shipping policy (model 4). By doing so, we can uncover differences in return probability that might be an outcome of the definition of the purchase type alone. As such, it helps us to understand to what extent regular and filler purchases have a different return probability, regardless of the shipping policy, and to what extent this difference is attenuated/mitigated by the introduction of the new policy.

The results confirm and extend the findings of the previous model: purchases classified as regular purchases have a higher inherent return probability than purchases classified as filler purchases - with both shipping policies. The introduction of thresholdbased free shipping then further widens the gap between both types of purchases, i.e., it further increases the return probability of regular purchases and decreases the return probability of filler purchases. Concretely, for regular purchases, we observe an increase in returns from $29.82 \%$ to $30.17 \%$ (-. 856 to -.839 in log odds) and from $52.25 \%$ to $54.59 \%$
(. 090 to .184 in $\log$ odds) for the product group with increased and decreased shipping fees, and for filler purchases, we find a decrease in returns from $28.19 \%$ to $27.11 \%$ (-. 935 to -.989 in $\log$ odds) and from $45.02 \%$ to $43.09 \%$ ( -.200 to -.278 in log odds) for both product groups (Table 5).

Table 5
Influence of shipping policy (threshold-based free shipping versus fixed-fee shipping) and type of purchase (filler versus regular) on return probability in a full factorial design

|  | Dependent variable: |
| :---: | :---: |
|  | Returned <br> (4) |
| filler purchase $\times$ fixed-fee shipping shipping fee up $^{\text {up }}$ | -.935*** (.047) |
| filler purchase $\times$ threshold-based free shipping shipping fee up $^{\text {d }}$ | $-.989 * * *(.009)$ |
| regular purchase $\times$ fixed-fee shipping ${ }_{\text {shipping fee up }}$ | $-.856 * * *(.006)$ |
| regular purchase $\times$ threshold-based free shipping shipping fee up | $-.839 * * *(.003)$ |
| filler purchase $\times$ fixed-fee shipping ${ }_{\text {shipping fee down }}$ | $-.200 * * *(.008)$ |
| filler purchase $\times$ threshold-based free shipping shipping fee down $^{\text {d }}$ | $-.278 * * *(.003)$ |
| regular purchase $\times$ fixed-fee shipping ${ }_{\text {shipping fee }}$ down | .090*** (.002) |
| regular purchase $\times$ threshold-based free shipping shipping fee down | .184*** (.002) |
| Price | .003*** (.000) |
| Discounted | $-.039 * * *(.001)$ |
| basket size | .051*** (.000) |
| last in basket | $-.293 * * *(.001)$ |
| Age | $-.004 * * *(.000)$ |
| gender_male | $-.253 * * *(.001)$ |
| years of customer patronage | .011*** (.000) |
| year_2017 | .029*** (.001) |
| year_2018 | .055*** (.001) |
| year_2019 | .098*** (.001) |
| month_Feb | .029*** (.001) |
| ... |  |
| month_Dec | .027*** (.001) |
| day_Tue | .002* (.001) |
| ... |  |
| day_Sun | $-.005 * * *(.001)$ |
| cat_Accessoires | $-1.141 * * *(.001)$ |
| $\cdots$ |  |
| cat_Toys | $-2.799 * * *(.004)$ |
| Observations | 83704086 |
| Log-likelihood | -49253549.63 |
| BIC | 98508029.64 |

[^2]In order to test the significance of the difference in return probability due to purchase type (i.e., filler and regular purchase) and shipping policy, we conduct post-hoc Wald tests (Table 6).

Table 6
Wald test results for inequality of parameter estimates

| Parameter | Significance of difference (p-value Wald test) |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | vs. | (a) | (b) | (c) | (d) | (a)-(c) | (b)-(d) |
| filler purchase $\times$ fixed-fee shipping shipping $^{\text {fee up }}$ | (a) |  | . 257 | . 090 |  |  |  |
| filler purchase $\times$ threshold-based free shipping ${ }_{\text {shipping }}$ fee up | (b) | . 257 |  |  | < . 001 |  |  |
| regular purchase $\times$ fixed-fee shipping ${ }_{\text {shipping fee up }}$ | (c) | . 090 |  |  | . 009 |  |  |
| regular purchase $\times$ threshold-based free shipping shipping fee up $^{\text {un }}$ | (d) |  | < . 001 | . 009 |  |  |  |
|  | (a)-(c) |  |  |  |  |  | . 139 |
|  | (b)-(d) |  |  |  |  | . 139 |  |
|  | vs. | (e) | (f) | (g) | (h) | (e)-(g) | (f)-(h) |
| filler purchase $\times$ fixed-fee shipping ${ }_{\text {shipping fee down }}$ | (e) |  | < . 001 | < . 001 |  |  |  |
| filler purchase $\times$ threshold-based free shipping ${ }_{\text {shipping fee down }}$ | (f) | < . 001 |  |  | <. 001 |  |  |
| regular purchase $\times$ fixed-fee shipping shipping fee down | (g) | < . 001 |  |  | < . 001 |  |  |
| regular purchase $\times$ threshold-based free shipping ${ }_{\text {shipping fee down }}$ | (h) |  | $<.001$ | < . 001 |  |  |  |
|  | (e)-(g) |  |  |  |  |  | <. 001 |
|  | (f)-(h) |  |  |  |  | < . 001 |  |

We find that influence of purchase type is significant in all cases, i.e., that regular purchases are always returned less than filler purchases regardless of changes in shipping policy and shipping fee (p<.001 to $\mathrm{p}=.090$, conditions (a) vs. (c) and (b) vs. (d) as well as (e) vs. (g) and (f) vs. (h) in Table 6). The influence of shipping policy is significant, i.e., increasing returns for regular purchases and decreasing returns for filler purchases $(p<0.001$, conditions (c) vs. (d) as well as (e) vs. (f) and (g) vs. (h) in Table 6) - except for such filler purchases, where shipping fees increased ( $p=.257$, condition (a) vs. (b) in Table 6). Finally, by combining these effects, we find that threshold-based free shipping leads to a significantly wider gap in return probability when shipping fees decrease and to a non-significantly wider
gap when shipping fees increase ( $\mathrm{p}<.001$ and $\mathrm{p}=.139$, conditions (a) - (c) vs. (b) - (d) in Table 6). Thus, filler purchases have a significantly lower return rate than regular purchases, and this difference increases under the threshold-based free shipping policy.

### 5.2.3. Product return model diagnostics

We find each new version of the return model performing slightly better than the previous one, as indicated by a decreasing BIC. With regards to control variables, we find very similar effects across all three models for product returns. Price, a larger shopping basket size, and years of customer patronage have a significant, positive influence on return probability, whereas a discount, being the last product in the shopping basket, an additional year of age of the customer, and male gender have a significant, negative influence on return probability. Product returns significantly increase each year and vary per month and product category. Table A1 and Table A2 in Appendix A show the estimates of model 3 and 4 including all control variables (i.e., encompassing all product category and month dummy variables).

### 5.3. Post-estimation profiling of filler purchases



Fig. 4. Price distribution of filler and regular purchases.

In the previous section, we showed empirically that filler purchases have a distinct return pattern - with a lower return rate than that of regular purchases - and that this pattern is reinforced under the threshold-based free shipping policy. To further the understanding of filler purchases and why they are returned less than regular purchases, we proceed with a post-hoc analysis and contrast both types of purchases in terms of price and product categories. First, regarding the price distribution, we observe that filler purchases have a median price of $€ 17.95$ (mean: $€ 25.63$ ), which is substantially lower than the median price of regular purchases of $29.95 €$ (mean: €43.25) and just below the free shipping threshold. The histogram (Fig. 4) shows that filler and regular purchases have a roughly similar price distribution with the important difference that filler purchases are much more likely to lie in the €0-20 price range. Second, regarding product categories, we find that filler purchases belong more often to product categories such as toys, health, and beauty, and less often to ladies' fashion, men's fashion, and shoes, compared to regular purchases (Fig. 5).


Fig 5. Category distribution of filler and regular purchases.
In conclusion, both the price and product category distributions show that filler purchases are distinct from regular purchases. Moreover, their different characteristics fit well with our reasoning for why their return rate would be lower: categories in which filler
purchases are overrepresented often contain products that are recurring purchases (e.g., the categories health, beauty, and baby), or are purchased as gifts (toys).

### 5.4. Simulation of the impact of shipping policy on profitability

In our results, we find that the overall effect of the shipping policy change is composed of both beneficial (i.e., higher sales) as well as detrimental (i.e., higher returns) effects from the retailer's perspective. In order to have an overall assessment of profit implications, taking into account both beneficial and detrimental effects, we proceed to simulate the effect of the shipping policy change on the one-year sales-based cumulative profit. We vary both the profit margin and return processing cost, thus providing insights on the circumstances under which a threshold-based shipping fee policy is relatively more/less profitable compared to a fixed-fee shipping policy.

We calculate the overall change in one-year cumulative profits between the two shipping policies as the sum of three components: (1) change in daily net sales (i.e., sales excluding returns) times the gross margin, (2) change in daily received shipping fees, and (3) change in daily cost of return handling ${ }^{2}$ :

$$
\begin{equation*}
\Delta^{\text {profit }} / \text { year }=\left(\Delta^{\text {netsales }} / \text { day } \cdot \operatorname{margin}+\Delta^{\text {shippingfees }} / \text { day }-\Delta^{\text {returncost }} / \text { day }\right) \cdot 365 \tag{5}
\end{equation*}
$$

with the components calculated as follows:

1. We input the assumed margin directly (e.g., margin $=45 \%$ ) and then calculate the difference of net sales with threshold-based free shipping and net sales with fixed-fee

[^3]shipping. To obtain net sales, we predict sales from model (1a), calculate the probability of not returning - using predicted product returns from model (2), as we use overall return probability - and then multiply both values.
2. For the change in daily received shipping fees, we calculate the daily received shipping fees for both fixed-fee shipping and threshold-based free shipping and calculate their difference. We obtain daily received shipping fees by multiplying the shipping fee per order under the respective shipping policy with the predicted number of orders from model (1c).
3. For the change in daily cost of return handling, we calculate daily return cost with fixed-fee shipping and subtract it from the daily return cost with threshold-based free shipping. The daily return cost is the return processing cost (i.e., the cost of an individual return) times the number of daily returns. We input the return processing cost directly (e.g., return processing cost $=€ 6$ ) and calculate the number of daily returns by multiplying the predicted number of daily orders from model (1c) with the average number of products per order and with the predicted return probability from model (2).

We present detailed calculations for each step in Appendix B. Fig 6. shows the resulting difference in one-year cumulative profits based on a range of plausible return processing costs and gross margins. We assume that the return processing cost is at least as high as the current shipping fee (about $€ 3$ ) of our retailer and vary the profit margin around the reported gross margin for online retailing (of 42.5\%, Damodaran 2021).

We find that, across all return processing cost scenarios, retailers with average and above-average gross margins always profit from introducing threshold-based free shipping, even when return processing costs are high. In other words, in all included scenarios, these retailers win when switching to this policy, and additional profits of doing so are substantial.

When the profit margin is considerably below average, return processing cost should become a consideration. However, even for retailers with below-average gross margins, thresholdbased free shipping is almost always more profitable. Only in case of very high return processing costs (12 euro) and low margins (37.5\%), fixed-fee shipping is the more profitable option.


Fig. 6. Profitability of shipping policy change

## 6. Discussion

### 6.1. Conclusions

In this paper, we compared the consequences of two wide-spread shipping policies of online retailers -threshold-based free shipping and fixed-fee shipping - on both purchases and returns. Regarding purchases, we decompose overall sales into order value and order count. Regarding returns, we investigate whether so-called filler purchases - purchases that make the order value surpass the required threshold for threshold-based free shipping explain contrasting return quotas for fixed-fee and threshold-based free shipping. Insights provided in this paper are based on the analysis of a unique dataset from a major European
online retailer that contains information on 26.21 million orders of 83.79 million items from 3.81 million customers in a three years period (from July, 2017 to June, 2019), and covers a broad range of product categories. Since the retailer introduced threshold-based free shipping together with order-dependent shipping fee changes, we separately consider two groups of purchases: those where shipping fees have increased, and those where shipping fees have decreased.

## Table 7

Summary of the findings

| Hypothesis | Findings |  |
| :---: | :--- | :--- |
| H1: | Threshold-based free shipping leads to higher sales <br> compared to fixed-fee shipping | Partially supported |
| H2: | Threshold-based free shipping leads to more orders <br> compared to fixed-fee shipping | Partially supported |
| H4: | Threshold-based free shipping leads to a lower average order <br> value compared to fixed-fee shipping | Not supported |
| H5a: | Threshold-based free shipping leads to more returns <br> compared to fixed-fee shipping | Supported |
| H5beshold-based free shipping leads to less returns of filler | Supported |  |
| purchases compared to regular purchases | Threshold-based free shipping leads to more returns of filler <br> purchases compared to regular purchases | Not supported |

The results are partly in line with what we predicted (Table 7). In partial support of our theoretical argument, threshold-based free shipping is likely to increase sales and the number of orders. We reasoned that fixed-fee shipping always results in shipping fees whereas threshold-based free shipping policy is, as the name implies, potentially free. Consequently, customers have to pay less shipping fees on average with threshold-based free shipping. Since customers are very sensitive to price, in general, and shipping cost, in particular, theory predicts that customers will order less with the more expensive policy, i.e., fixed-fee shipping (Bijmolt, Van Heerde, and Pieters 2005; Smith and Brynjolfsson 2001). The empirical results show that there are more orders and, consequently, higher sales with
threshold-based free shipping than with fixed-fee shipping for one group of orders. In particular, for the group of orders with decreasing shipping fees, we find $45.21 \%$ higher sales and $43.58 \%$ more orders. For the remaining orders - with increasing shipping fees, we find no significant effect of threshold-based free shipping versus free shipping. The combination of a large positive effect in the first group and the absence of a negative effect in the second group (with increasing shipping fees) is likely evidence of an overall positive effect of threshold-based free shipping on the number of orders and sales.

We find no evidence for our theoretical argument that threshold-based free shipping would lead to orders with lower value. We theorized that fixed-fee shipping would be an incentive for customers to delay purchases in order to distribute them among fewer and larger orders and, thereby, reduce the total of due shipping fees. Threshold-based free shipping, on the other hand, would only incentivize customers to delay purchases up to the free shipping threshold, as a further delay does not reduce total shipping costs. Therefore, threshold-based free shipping is a more constrained incentive for combining smaller into larger orders than fixed-fee shipping and thus retains smaller orders. However, our results indicate that order size (in terms of monetary value) is not influenced by shipping policy.

In addition, we find that the shipping policy influences return behavior. We expected that threshold-based free shipping would increase returns for two reasons. The first reason is irrational customer behavior with regards to sunk cost (Domeier, Sachse, and Schäfer 2018). Shipping fees are non-refundable and therefore a sunk cost when returning. However, customers tend to not admit that cost is sunk, because it appears wasteful (Arkes and Blumer 1985), and so they choose a course of action that avoids writing it off - the so-called "Concorde fallacy" (Carter, Kaufmann, and Michel 2007). When keeping products instead of returning them, customers do not have to write off shipping fees. Since fixed-fee shipping more often necessitates writing off shipping fees than threshold-based free shipping, the
former incentivizes keeping instead of returning more than the latter. The second reason for expecting threshold-based free shipping to lead to more returns than fixed-fee shipping is economic customer behavior with regards to the cost of re-ordering. When customers think about returning a purchase and ordering a slightly different product, the benefit of returning and re-ordering has to outweigh its cost (Anderson, Hansen, and Simester 2009; Petersen and Kumar 2015). This cost is often lower with threshold-based free shipping, where shipping is potentially free, than with fixed-fee shipping, where shipping is always paid, and therefore the cost-benefit-ratio with the former more often permits returning than with the latter. Our empirical results show that shipping policy influences returns. Threshold-based free shipping slightly increases returns by $0.29 \%$ and $2.26 \%$, depending on how shipping fees changed. Therefore, in line with our theoretical argument, we find that shipping policy influences returns, although effect sizes are small to moderate.

Besides, we find that the small, positive effect of threshold-based free shipping on returning is both reversed and amplified for returning of filler purchases. Here, thresholdbased free shipping leads to less product returns. In particular, for filler purchases, returns decrease between $1.08 \%$ and $1.93 \%$ due to the introduction of threshold-based free shipping. A post-estimation analysis of filler purchases shows that categories in which such purchases are overrepresented comprise many recurring purchases (e.g., health, beauty and baby product categories) and gifts (toys product category). We hence find support for our hypothesis that threshold-based free shipping would incentivize customers to order additional products, which they would have ordered anyway but at a later point in time. Those products have been shown to be likely regularly purchased products with a consequently lower return rate (Petersen and Kumar 2009). We find no support for our opposite hypothesis that threshold-based free shipping would lead to more returns of filler purchases due to customers intentionally planning to order and return in order to abuse the shipping policy and obtain
free shipping. While customers thus show intentional and planned behavior by ordering distinct, less returned products as filler purchases, customers show no signs of malevolent behavior by ordering and returning to circumvent shipping fees.

### 6.2. Managerial implications

Our paper compares the impact of two straightforward and widely used shipping fee policies, fixed-fee shipping and threshold-based free shipping, on both purchases and returns, and our findings have important managerial implications.

First, we find that threshold-based free shipping has the advantage of substantially higher sales and more orders, while fixed-fee shipping leads to a lower return rate. Thus, our findings indicate that threshold-based free shipping is in most circumstances advantageous for the retailer. In a simulation, we find that a retailer with an average gross margin for online retailing (of $42.5 \%$, Damodaran 2021) makes higher profits with threshold-based free shipping than with fixed-fee shipping with return processing costs per product of up to $€ 12$. For retailers with lower gross margins, return processing costs are of greater concern and very low margins coupled with very high return processing costs can make fixed-fee shipping more profitable: in our simulation, only a retailer with a gross margin of $37.5 \%$ or less and return processing costs of $€ 12$ or more, would be better off with fixed-fee shipping than with threshold-based free shipping.

Second, we do not find evidence for strategic abuse of threshold-based free shipping policies. Instead, threshold-based free shipping leads customers to order products, which they anticipate to need anyway, as filler purchases and return those purchases less than their other purchases. Since filler purchases are thus returned less than regular purchases, it would be
beneficial for retailers to actively promote such purchases, e.g., by having a wish list function or suggesting recurrently ordered products at the order checkout page.

### 6.3. Limitations and future research

Our study is based on the purchase and return data of several million customers over the course of three years at a generalist online retailer. Even though the retailer is large and carries an assortment that covers most products that a generally ordered online, it is still a single retailer in one country. Therefore, repeating the analysis for different retailers in different markets could give further support to our findings. In addition, having only data from one retailer prevents us from observing customer switching behavior. Therefore, we cannot say whether the increase in sales from our retailer is paralleled by decreased sales from its competitors. Finally, we do not find evidence for customers circumventing threshold-based free shipping using filler purchases, on average. A laboratory experiment might help to shed light on possible boundary conditions for such strategic behavior.

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## Appendix A

## Extended tables

Table A1
Influence of threshold-based free shipping and type of purchase (filler versus regular) on return probability (full table)

|  | Dependent variable: |  |
| :---: | :---: | :---: |
|  | returned (2) | returned (3) |
| Constant $_{\text {shipping fee up }}$ | -.844*** (.006) | $-.857^{* * *}(.006)$ |
| Constant $_{\text {shipping fee down }}$ | .092*** (.002) | .087*** (.002) |
| threshold-based free shipping shipping fee up | .014* (.006) |  |
| filler purchase $\times$ threshold-based free shipping ${ }_{\text {shipping fee up }}$ |  | -.131*** (.011) |
| regular purchase $\times$ threshold-based free shipping shipping fee up $^{\text {un }}$ |  | .018** (.006) |
| threshold-based free shipping ${ }_{\text {shipping fee down }}$ | .091*** (.002) |  |
| filler purchase $\times$ threshold-based free shipping shipping fee down $^{\text {d }}$ |  | $-.363^{* * *}$ (.003) |
| regular purchase $\times$ threshold-based free shipping shipping $_{\text {fee down }}$ |  | .098*** (.002) |
| Price | .003*** (.000) | .003*** (.000) |
| Discounted | $-.040 * * *(.001)$ | $-.039 * * *(.001)$ |
| basket size | .052*** (.000) | .051*** (.000) |
| last in basket | -.322*** (.001) | -.294*** (.001) |
| Age | -.004*** (.000) | -.004*** (.000) |
| gender_male | $-.253 * * *(.001)$ | $-.253 * * *$ (.001) |
| years of customer patronage | .011*** (.000) | .011*** (.000) |
| year_2017 | .028*** (.001) | .029*** (.001) |
| year_2018 | .054*** (.001) | .055*** (.001) |
| year_2019 | .096*** (.001) | .098*** (.001) |
| month_Feb | .029*** (.001) | .029*** (.001) |
| month_Mar | .029*** (.001) | .028*** (.001) |
| month_Apr | -.015*** (.001) | -.016*** (.001) |
| month_May | -.029*** (.001) | -.030*** (.001) |
| month_Jun | -.024*** (.001) | -.025*** (.001) |
| month_Jul | -.069*** (.001) | -.068*** (.001) |
| month_Aug | $-.040 * * *(.001)$ | -.040*** (.001) |
| month_Sep | .067*** (.001) | .066*** (.001) |
| month_Oct | .079*** (.001) | .078*** (.001) |
| month_Nov | .055*** (.001) | .053*** (.001) |
| month_Dec | .028*** (.001) | .027*** (.001) |
| day_Tue | .002* (.001) | .002* (.001) |
| day_Wed | .004*** (.001) | .004*** (.001) |
| day_Thu | . 001 (.001) | . 001 (.001) |
| day_Fri | -.008*** (.001) | -.008*** (.001) |
| day_Sat | . 000 (.001) | -. 000 (.001) |
| day_Sun | -.005*** (.001) | -.005*** (.001) |
| cat_Accessoires | $-1.145 * * *(.001)$ | $-1.141^{* * *}(.001)$ |
| cat_Baby | $-1.384 * * *(.002)$ | $-1.379 * * *(.002)$ |
| cat_Beachwear | .345*** (.001) | .348*** (.001) |
| cat_Beauty | $-2.105 * * *(.004)$ | $-2.099 * * *(.004)$ |
| cat_Electronics | $-2.204 * * *(.002)$ | -2.201*** (.002) |
| cat_Garden | -2.236*** (.004) | $-2.234 * * *(.004)$ |
| cat_Health | $-2.427 * * *(.010)$ | $-2.419 * * *$ (.010) |
| cat_Home | $-2.026 * * *(.001)$ | $-2.021 * * *(.001)$ |
| cat_Kids_fashion | -.961 *** (.001) | $-.959 * * *(.001)$ |
| cat_Lingerie | -.787*** (.001) | -.784*** (.001) |
| cat_Mens_fashion | -.617*** (.001) | $-.617 * * *(.001)$ |
| cat_Nightwear | -.926*** (.002) | $-.920 * * *(.002)$ |
| cat_Other | -9.126*** (.447) | -9.145*** (.447) |
| cat_Shoes | -.216*** (.001) | -.219*** (.001) |
| cat_Sports | $-.500 * * *(.001)$ | $-.500 * * *(.001)$ |
| cat_Toys | $-2.811 * * *(.004)$ | $-2.799 * * *(.004)$ |
| Observations | 83704086 | 83704086 |
| Log-likelihood | -49282562.71 | -49254263.10 |
| BIC | 98565982.84 | 98509420.10 |

*** $\mathrm{p}<.001$, ** $\mathrm{p}<.01$, * $\mathrm{p}<.05$, standard errors in parentheses

## Table A2

Influence of shipping policy (threshold-based free shipping versus fixed-fee shipping) and type of purchase (filler versus regular) on return probability in a full factorial design (full table)

|  | Dependent variable: |
| :---: | :---: |
|  | returned (4) |
|  | -.935*** (.047) |
| filler purchase $\times$ threshold-based free shipping ${ }_{\text {shipping fee up }}$ | $-.989 * * *$ (.009) |
| regular purchase $\times$ fixed-fee shipping shipping fee up $^{\text {p }}$ | -.856*** (.006) |
| regular purchase $\times$ threshold-based free shipping shipping fee up $^{\text {d }}$ | -.839*** (.003) |
| filler purchase $\times$ fixed-fee shipping ${ }_{\text {shipping }}$ fee down | -.200*** (.008) |
| filler purchase $\times$ threshold-based free shipping ${ }_{\text {shipping }}$ fee down | -.278*** (.003) |
| regular purchase $\times$ fixed-fee shipping ${ }_{\text {shipping fee down }}$ | .090*** (.002) |
| regular purchase $\times$ threshold-based free shipping ${ }_{\text {shipping fee down }}$ | .184*** (.002) |
| Price | .003*** (.000) |
| Discounted | $-.039 * * *(.001)$ |
| basket size | .051*** (.000) |
| last in basket | $-.293 * * *(.001)$ |
| Age | $-.004 * * *(.000)$ |
| gender_male | $-.253 * * *(.001)$ |
| years of customer patronage | .011*** (.000) |
| year_2017 | .029*** (.001) |
| year_2018 | .055*** (.001) |
| year_2019 | .098*** (.001) |
| month_Feb | .029*** (.001) |
| month_Mar | .028*** (.001) |
| month_Apr | -.016*** (.001) |
| month_May | -.030*** (.001) |
| month_Jun | $-.025 * * *(.001)$ |
| month_Jul | $-.068 * * *(.001)$ |
| month_Aug | $-.040 * * *(.001)$ |
| month_Sep | .066*** (.001) |
| month_Oct | .077*** (.001) |
| month_Nov | .053*** (.001) |
| month_Dec | .027*** (.001) |
| day_Tue | .002* (.001) |
| day_Wed | .004*** (.001) |
| day_Thu | . 001 (.001) |
| day_Fri | $-.008 * * *(.001)$ |
| day_Sat | -. 000 (.001) |
| day_Sun | $-.005^{* * *}(.001)$ |
| cat_Accessoires | -1.141*** (.001) |
| cat_Baby | $-1.379 * * *(.002)$ |
| cat_Beachwear | .348*** (.001) |
| cat_Beauty | $-2.099^{* * *}(.004)$ |
| cat_Electronics | $-2.201 * * *(.002)$ |
| cat_Garden | $-2.235 * * *(.004)$ |
| cat_Health | $-2.419^{* * *}(.010)$ |
| cat_Home | $-2.021 * * *(.001)$ |
| cat_Kids_fashion | $-.959 * * *(.001)$ |
| cat_Lingerie | $-.784^{* * *}(.001)$ |
| cat_Mens_fashion | $-.617 * * *(.001)$ |
| cat_Nightwear | $-.920 * * *(.002)$ |
| cat_Other | -9.146*** (.447) |
| cat_Shoes | $-.219 * * *(.001)$ |
| cat_Sports | $-.500 * * *(.001)$ |
| cat_Toys | $-2.799 * * *(.004)$ |
| Observations | 83704086 |
| Log-likelihood | -49253549.63 |
| BIC | 98508029.64 |

## Appendix B

## Profitability simulation

We calculate the overall change in one-year cumulative profits between the two shipping policies as the sum of three components: (1) change in daily sales (excluding returns) $\times$ the gross margin, (2) change in daily received shipping fees, and (3) change in daily cost of return handling:

$$
\begin{equation*}
\Delta^{\text {profit } / \text { year }}=\left(\Delta^{\text {netsales }} / \text { day } \times \text { margin }+\Delta^{\text {shippingfees } / \text { day }}-\Delta^{\text {returncost }} / \text { day }\right) \times 365 \tag{B1}
\end{equation*}
$$

where we calculate the individual parts as follows:

1. The first part of the overall calculation consists of multiplying the difference in daily net sales (i.e., post-returns) with an assumed margin. We input the assumed margin directly (e.g., margin $=45 \%$ ) and then calculate the difference of net sales with threshold-based free shipping (abbreviated as tbfs) and net sales with fixed-fee shipping (abbreviated as ffs). Since we estimated baseline sales and the effect of tbfs separately for categories with rising and falling shipping fees, we need to calculate $2 \times 2$ net sales values:

$$
\begin{align*}
& \Delta^{\text {netsales }} / \text { day }  \tag{B2}\\
& =\left(\text { netsales }_{\text {tff sshippingfeedown }} / \text { day }+ \text { netsales }_{\text {thfs sshippingfeeup }} / \text { day }\right) \\
& -\left(\text { netsales }_{f f s, s h i p p i n g \text { feedown }} / \text { day }+{ }^{\text {netsales }_{f f s, s h i p p i n g f e e u p ~} / d a y}\right)
\end{align*}
$$

Since sales estimations from model (1a) includes returned items, we need to calculate net sales first. We do so by multiplying predicted sales from model (1a) with the
probability of not returning - using predicted returns from model (2). This needs to be done for all four netsales values from the last equation:

$$
\begin{equation*}
\text { netsales }_{f f \text { fs,shippingfeedown }} / d a y=\text { sales }_{\text {tbf fssshippingfeedown } / d a y} \times\left(1-\text { prob_returns }_{f f \text { fsshipping feedown }}\right) \tag{B3}
\end{equation*}
$$


(B5)

$$
\text { netsales }_{f f f} \text { shipppingfeeup } / d a y={\text { sales } f_{f f s, s h i p p i n g f e e d o w n ~}}_{d a y} \times\left(1-\text { prob_returns }_{f f} \text { sshippingsfeedown }\right)
$$

(B6)

$$
\text { netsales }_{\text {tbfss,shippingfeeup }} / d a y=\text { sales }_{f f \text { ss.shippingfeeup }} / d a y \times\left(1-\text { prob_returns }_{\text {thf } f \text { sshippingfeeup }}\right)
$$

Now, we proceed to predict sales and returns. First, we predict sales using the estimates of model (Ia) using (a) the baseline sales + (b) effect of tbfs, if applicable + (c) effect of control variables. In particular, we only include (b) when calculating sales with threshold-based free shipping and we include (c) as: $1 / 4$ of each year covariate, $1 / 12$ of each month covariate, $1 / 7$ of each day covariate, and $\frac{\text { orders }_{\text {s.incategor } y_{i}}}{\text { totalo orders }^{2}}$ times each category i covariate:
(B7) sales $_{f f \text { fsshippingfeedown }} / d a y=\exp \left(\alpha_{\text {shippingfee }}+c o v a r i a t e s\right)$
(B8) sales $_{\text {thfs,shippingfeedown }} / d a y=\exp \left(\alpha_{\text {shippingfeedown }}+\beta_{\text {tofs,shippingfeedown }}+\right.$ covariates $)$
(B9)

$$
\text { sales }_{f f \text { fsshippingfeeup }} / d a y=\exp \left(\alpha_{\text {shippingfeeup }}+\text { covariates }\right)
$$

(B10)

$$
\begin{aligned}
& \text { sales }_{\text {thfssstippingfeeup }} / d a y=\exp \left(\alpha_{\text {shippingfeeup }}+\beta_{\text {tbfsstippingfeup }}+\text { covariates }\right) \\
& \text { with: covariates }=\frac{1}{4} \sum_{i=1}^{3} \beta_{\text {year_ } i}+\frac{1}{12} \sum_{i=1}^{11} \beta_{\text {month }_{i} i}+\frac{1}{7} \sum_{i=1}^{6} \beta_{\text {aay }_{i} i}+\sum_{i=1}^{16} \frac{\text { orders_in__ategory }}{y_{i}} \beta_{\text {category }_{i} i}
\end{aligned}
$$

Second, we predict returns. We calculate the four prob_returns using the estimates of the logit model (2) and, besides, proceed similarly as for the prediction of sales:
(B11)

$$
\begin{aligned}
& \text { prob_returns }_{f f s, s h i p p i n g f e e d o w n ~}=\operatorname{logit}^{-1}\left(\alpha_{\text {shippingfeedown }}+\text { covariates }\right) \\
& \text { prob_returns }_{\text {tbfss,shippingfeedown }}=\operatorname{logit}^{-1}\left(\alpha_{\text {shippingfeedown }}+\beta_{t b f s, s h i p p i n g f e e d o w n}+\text { covariates }\right) \\
& \text { prob_returns }_{f f s, s h i p p i n g f e e u p}=\operatorname{logit}^{-1}\left(\alpha_{\text {shippingfeeup }}+\text { covariates }\right) \\
& \text { prob_returns }_{t b f s, s h i p p i n g f e e u p ~}=\operatorname{logit}^{-1}\left(\alpha_{\text {shippingfeeup }}+\beta_{t b f s, s h i p p i n g f e e u p ~}+\text { covariates }\right) \\
& \text { with: covariates as defined above but using the estimates of the return model }
\end{aligned}
$$

2. The second part of the overall calculation consists of the change in daily received shipping fees. Here, we calculate the daily received shipping fees for both the ffs and tbfs policies and take the difference of both. Again, we need to do this two times - for categories where shipping fees decreased and for categories where shipping fees increased - and add the results:

$$
\begin{align*}
& \Delta^{\text {shippingfees }} / \text { day } \\
& =\left(\text { shippingfees }_{\text {tff sshippingfeedown }} / \text { day }+ \text { shippingfees }_{\text {tbfssshippingfeeup }} / \text { day }\right)  \tag{B15}\\
& -\left(\text { shippingfees }_{f f \text { sshippingfeedown }} / \text { day } \text { shippingfees }_{f f \text { sshippingfeupp }} / \text { day }\right)
\end{align*}
$$

Each part of the equation is calculated by: (a) the applicable shipping fee $\times$ (b) predicted number of orders:

$$
\begin{equation*}
\text { shippingfees }_{f f \text { ssshippingfeedown }} / \text { day }=\text { fee }_{f f \text { fsshippingfeedown }} \times \text { count_orders }_{\text {ffssshippingfeedown }} \tag{B16}
\end{equation*}
$$

$$
\begin{equation*}
\text { shippingfees }_{\text {thf ssshippingfeedown }} / \text { day }=\text { fee }_{\text {tofssshippingfeedown }} \times \text { count_order }_{\text {thf } f \text { sshippingsfeedown }} \tag{B17}
\end{equation*}
$$

$$
\begin{equation*}
\text { shippingfees }_{\text {tbf ssshippingfeeup }} / \text { day }=\text { fee }_{\text {tbfssshippingfeeup }} \times \text { count_orders }_{\text {tbffs,shippingfeeup }} \tag{B19}
\end{equation*}
$$

For (a), we calculate the average observed shipping fee for the respective orders, i.e., the average shipping fee for (1) orders with threshold-based free shipping in
categories where shipping fees decreased, (2) orders with threshold-based free shipping in categories where shipping fees increased, etc.:

$$
\begin{aligned}
& \text { fee }_{f f s, \text { shippingfeedown }}=6.297 € \\
& \text { fee }_{\text {tbfs,shippingfeedown }}=.098 € \\
& \text { fee }_{f f s, \text { shippingfeeup }}=.766 € \\
& \text { fee }_{\text {tbfs } s, \text { shippingfeeup }}=.247 €
\end{aligned}
$$

For (b), we get the number of daily orders using the estimates of model (Ic), similar to how we did the first two predictions:

$$
\begin{equation*}
\text { count_orders }_{f f \text { ssshippingfeedown }} / d a y=\exp \left(\alpha_{\text {shippingfeedown }}+\right.\text { covariates } \tag{B20}
\end{equation*}
$$

$$
\begin{equation*}
\text { count_orders }_{\text {tff ssshippingfeedown }} / d a y=\exp \left(\alpha_{\text {shippingfeedown }}+\beta_{\text {tbf fsshippingfeedown }}+\right.\text { covariates } \tag{B21}
\end{equation*}
$$

count_ordersffssshippingfeeup $^{/ d a y}=\exp \left(\alpha_{\text {shippingfeeup }}+\right.$ covariates $)$
(B23)

$$
\text { count_orders }_{\text {tbfs,shippingfeeup }} / \text { day }=\exp \left(\alpha_{\text {shippingfeeup }}+\beta_{t b f s, \text { shippingfeeup }}+\text { covariates }\right)
$$

with: covariates as defined above but using the estimates of the count order model
3. The third part of the overall calculation is the change in daily cost of return handling. We calculate this part by subtracting the daily return cost with fixed-fee shipping from the daily return cost with threshold-based free shipping:
where each part is (a) cost-per-return $\times$ (b) number-of-daily-returns with ffs or tbfs. We input (a) as fixed numbers (e.g., returncost per_return $=€ 6$ ) but do not have (b). We can calculate (b) by: the estimate of the number of daily orders $\times$ number of products per orders $\times$ the return probability of a product. Again, we need to do this separately for ffs and tbfs policies and for rising and falling shipping fees. We thus get:
returncost $_{\text {sum,ffs }} /$ day
(B25)

$$
=\text { returncost }_{p e r_{-} r e t u r n}
$$

$\times\left(\right.$ prob_returns $_{f f s, \text { shippingfeedown }} \times$ ordersize $_{f f s, \text { shippingfeedown }}$ $\times$ count_orders $_{f f s, \text { shippingf eedown }} / d a y$
returncost $_{\text {sum,tbfs }} /$ day
(B26)

$$
\left.\begin{array}{l}
=\text { returncost }_{p_{\text {er_return }}} \\
\times\left(\text { prob_returns }_{\text {tbfs,shippingfeedown }} \times \text { ordersize }_{\text {tbfs }, \text { shippingfeedown }}\right. \\
\times \text { count_orders }_{\text {tbfs,shippingfeedown }} / \text { day } \\
\times \text { prob_returns } \\
\text { tbfs,shippingfeeup }
\end{array} \times \text { ordersize }_{\text {tbfs,shippingfeeup }} \times \text { count_orders }_{t b f s, \text { shippingfeeup }} / \text { day }\right)
$$

For the number of products per order, we calculate the average value for the respective orders with the following result:

$$
\begin{aligned}
& \text { ordersize }_{f f s, \text { shippingfeedown }}=3.619 \\
& \text { ordersize }_{\text {tbfs,shippingfeedown }}=3.351 \\
& \text { ordersize }_{f f s, \text { shippingfeeup }}=1.388 \\
& \text { ordersize }_{\text {tbfs,shippingfeeup }}=1.593
\end{aligned}
$$

For the return probability, we use the values predicted in the first step.

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[^1]:    ${ }^{1}$ By taking the inverse logit function of the log odd of the baseline $\frac{\exp (-.844)}{1+\exp (-.844)}=.3007$ and of the baseline plus the respective effect of threshold-based free shipping $\frac{\exp (-.844+.014)}{1+\exp (-.844+.014)}=.3036$. The remaining probabilities are obtained similarly.

[^2]:    *** $\mathrm{p}<.001$, ** $\mathrm{p}<.01$, * $\mathrm{p}<.05$, standard errors in parentheses

[^3]:    ${ }^{2}$ As our models are estimated at the daily level, we first determine the change in profit at the daily level, and subsequently multiply with 365 (days) to obtain the total change in cumulative profit for the whole year.

